

Revised M_L Determination for Crustal Earthquakes in Taiwan

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Abstract The local magnitude scale M_L is an empirically derived scale anchored to a zero magnitude reference event. Richter defined the amplitude of ground shaking at an epicentral distance of 100 km for a zero magnitude earthquake in southern California. The crustal attenuation characteristics of Taiwan result in a relatively high M_L when compared to moment magnitude, M_w . We therefore define a revised M_L scale for crustal earthquakes in the Taiwan region that is more consistent with M_w . Using observed peak ground shaking and M_w , we determine a new $\log A_0$ curve of ground shaking versus hypocentral distance, R , for a zero magnitude earthquake, and station correction factors. The $\log A_0$ curve determined in this study is,

$$\log A_0(R) = 0.332 - 1.568 \cdot \log(R) \pm 0.280.$$

Using this new $\log A_0$ curve and station corrections, the new M_L is more consistent with M_w , with a 0.2 magnitude unit uncertainty. The new $\log A_0$ curve has a value of -2.80 at the distance of 100 km compared to the anchor point of $\log A_0 = -3$ at the same distance as defined by Richter for southern California. This means that the current M_L estimates in Taiwan (which use Richter's definition) average 0.2 magnitude units larger than their M_w . The station correction factors also determined are large, from -0.40 to 0.52 magnitude units. The use of station corrections in routine seismic network operation in Taiwan will improve magnitude estimates. This is particularly important for smaller events when recording stations may be predominantly on either hard rock or soft soil sites, which could lead to under- or overestimates of the magnitude by up to half a magnitude unit.

Introduction

There are many magnitude scales in current use. Local magnitude, M_L , introduced by Richter (1935) is still popular with earthquake monitoring agencies (Alsaker *et al.*, 1991; Shin, 1993; Spallarossa *et al.*, 2002; Wu *et al.*, 1997) because of the relative ease of measurement and its direct relation to the strength of shaking at the period range of most importance to the built environment (Kanamori and Jennings, 1978). However, M_L is an empirically derived scale based on the observed strength of shaking for earthquakes in southern California. Other magnitude scales provide better representations of some important event characteristics. In particular, moment magnitude, M_w , is related to the seismic moment released during an event.

Determination of M_L is based on the amplitude recorded by a Wood–Anderson torsion seismograph with a natural period of 0.8 sec, a damping constant 0.8, and a static magnification of 2800. By definition, in a zero magnitude earthquake in southern California a Wood–Anderson instrument 100 km from the epicenter would record ground shaking with a peak amplitude of 0.001 mm. The relative size of an

event can then be calculated by comparison to the zero magnitude reference event:

$$M_L = \log A(\Delta) - \log A_0(\Delta) \quad (1)$$

Where A and A_0 are the maximum amplitude in millimeters of the earthquake and the reference event at a prescribed epicentral distance, Δ , respectively. According to this definition $\log A_0 = -3$ at 100 km from the epicenter.

M_L in its original form is rarely used because Wood–Anderson torsion instruments are uncommon. However, a large number of modern digital instruments are in operation worldwide, and digital seismic waveforms can easily be used to simulate a Wood–Anderson seismogram (Kanamori *et al.*, 1999). Thus, M_L is now widely used by many seismic networks outside of southern California, including by the Central Weather Bureau Seismic Network (CWBSN) of Taiwan (Shin, 1993) and others (Gibowicz, 1972; Ebel, 1982; Bakun and Joyner, 1984; Alsaker *et al.*, 1991; Spallarossa *et al.*, 2002; Kim, 1998). Most applications of M_L by regional seis-

mic networks use the definition $\log A_0 = -3$ at a distance 100 km for a zero magnitude earthquake (Bakun and Joyner, 1984; Kiratzi and Papazeros, 1984; Chavez and Priestley, 1985; Greenhalgh and Singh, 1986; Hutton and Boore, 1987; Shin, 1993). However, variations in regional attenuation characteristics, due to different crustal structure, lead to a discrepancy in the meaning of an $M_L = 0$ earthquake when the same $\log A_0 = -3$ at 100 km definition is applied in different regions.

M_w , derived from moment tensor analysis, provides the most robust estimate of the magnitude of earthquakes. Kanamori *et al.* (1993) show that events of M_L less than 6.5 have a linear relationship with $\log(\text{energy})$ radiated by the earthquakes. Clinton *et al.* (2004) also show that M_L is correlated 1:1 to M_w in the magnitude range from 4.5 to 6.5 in southern California. Therefore, M_w values for events of $4.5 < M < 6.5$ can be used to calibrate regional M_L scales so that they provide magnitudes that are more consistent with M_w (Ristau *et al.*, 2003) and therefore with M_L for southern California. By rearranging equation (1) and replacing M_L with M_w , $\log A_0$ as a function of hypocentral distance (R) can be obtained as follows,

$$\log A_0(R) = \log A(R) - M_w$$

In this study, we use the M_w of crustal earthquakes in the Taiwan region to determine the $\log A_0$ curve and station corrections. A revised M_L determination for Taiwan earthquakes is then possible that is more consistent with the M_w and M_L scales for southern California earthquakes.

Data

Waveform data were provided by the Central Weather Bureau (CWB) earthquake Rapid Reporting System (RRS) (Wu *et al.*, 1997, 2000, 2002, 2004), which consists of about 90 telemetered strong-motion stations in Taiwan (Fig. 1). Waveforms from three-component force-balanced accelerometers (FBA) are continuously telemetered at the headquarters of the CWB in Taipei via leased telephone lines. Ground-motion recordings are digitized at 50 samples per second with a 16-bit resolution. The full recording range is $\pm 2g$. A total of 79 RRS stations were used in this study; each recorded a minimum of eight events.

Fifty-six shallow earthquakes with $M_w \leq 6.2$ in Taiwan were used for this study (Fig. 1 and Table 1). The events all had M_w between 4.7 and 6.2 as reported in the Harvard Moment Tensor Catalog and focal depths less than 35 km. Owing to the M_L saturation problem, we do not use events with M_w larger than 6.2. All events were well recorded by the CWB RRS from 1995 to 2004 and were widely felt in Taiwan. The earthquakes have been relocated using a joint inversion for three-dimensional velocity structures and location (Thurber and Eberhart-Phillips, 1999; Wu *et al.*, 2003) using both the P and S arrival times of the CWBSN and S - P times from the records of the Taiwan Strong Motion In-

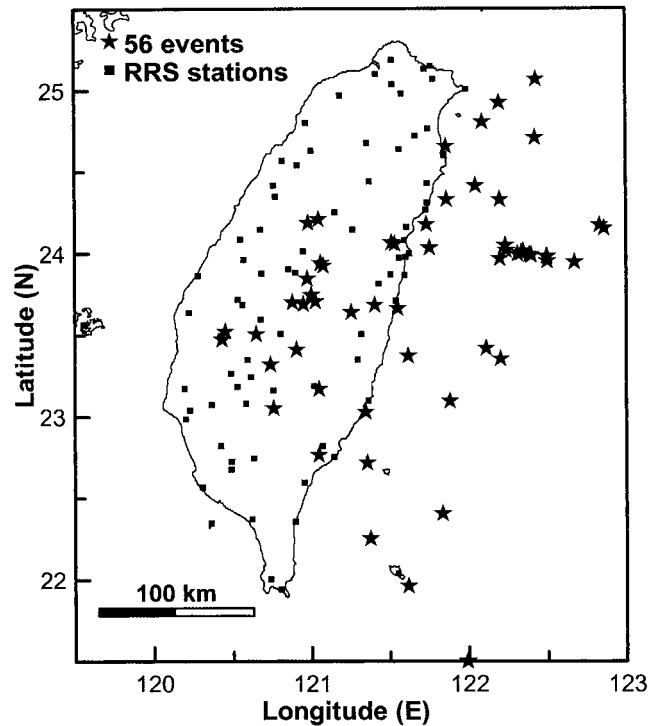


Figure 1. Distribution of stations (squares) participating in the Central Weather Bureau earthquake rapid reporting system (RRS) and the epicenters of the 56 events (stars) used in this study.

strumental Program (TSMIP) (Wu *et al.*, 1998). A total of 1898 RRS system records were used for this magnitude study.

Method and Results

Wood–Anderson seismograms were simulated from the recorded accelerograms (Kanamori *et al.*, 1999), and the peak ground motion was measured on the two horizontal components. Although there is some question about the magnification of the standard Wood–Anderson instrument (Uhrhammer and Collins, 1990), we used the standard magnification, 2800. The average of $\log A$ was determined from two horizontal components providing one peak ground motion observation per event–station pair. Using equation (2) and the Harvard M_w , $\log A_0$ could then be determined.

We determined a best-fit relation between $\log A_0$ and hypocentral distance. The decrease in the amplitude, Amp , of seismic waves with distance from the hypocenter, R , can be represented using the functional form $Amp \sim e^{-\gamma R}/R^n$, where n is the geometrical spreading coefficient, and γ can be related to the anelastic attenuation coefficient Q . Taking the logarithm, we obtain $\log(Amp) = C_s - (\gamma/\ln 10)R - n \log(R)$, where C_s is a constant. Therefore, in this study we consider the linear regression model,

$$\log A_0 = A + B \cdot R + C \cdot \log(R) - S_i, \quad (3)$$

Table 1
Fifty-Six Events Used in This Study

Origin Time (UTC)	Lat. (N)	Long. (E)	Depth (km)	M_L CWB	M_W Harvard	M_L New	Readings	Gap* (deg.)
1995/01/10 07:55:19	23.683	121.407	13.79	5.12	5.1	5.04	11	26
1995/02/23 05:19:02	24.176	121.737	29.72	5.76	6.2	6.06	23	180
1995/04/03 11:54:40	24.001	122.335	15.4	5.89	5.6	5.59	22	206
1995/04/03 22:33:25	23.994	122.312	19.47	5.36	5.3	4.98	11	203
1995/05/27 18:11:11	23.029	121.347	20.67	5.25	5.7	5.43	28	139
1996/03/05 17:32:08	23.966	122.200	5.87	5.96	5.8	5.77	33	196
1996/03/29 03:28:52	24.047	122.234	14.14	5.62	5.7	5.48	25	197
1996/08/10 06:23:05	23.944	122.671	23.6	5.78	5.6	5.57	14	237
1997/01/05 10:34:16	24.708	122.423	5.00	5.82	5.2	5.40	23	248
1997/07/04 18:37:29	23.052	120.759	4.45	5.18	5.1	5.00	23	24
1998/01/18 19:56:51	22.766	121.047	7.22	5.03	5.2	5.06	24	49
1998/07/17 04:51:14	23.506	120.649	5.75	6.28	5.7	5.75	20	52
1998/07/24 18:44:02	21.501	121.99	5.00	5.99	6.1	5.82	30	278
1999/09/10 14:18:21	22.406	121.835	23.52	5.41	5.4	5.35	26	207
1999/09/21 18:18:37	24.186	120.981	2.13	5.23	5.2	4.89	19	28
1999/09/22 12:17:20	23.744	121.000	24.99	6.02	5.2	5.50	28	70
1999/09/23 12:44:34	23.940	121.060	16.12	5.6	5.2	5.28	30	36
1999/09/25 08:43:30	23.689	120.950	13.04	5.11	5.1	5.41	32	25
1999/10/01 12:54:10	23.700	120.880	6.07	5.12	5.2	5.19	31	57
1999/10/02 17:14:16	23.978	122.494	18.85	5.30	5.1	5.19	14	235
1999/10/18 16:00:45	23.706	121.027	29.65	5.16	5.3	5.30	35	79
1999/10/22 02:18:57	23.474	120.433	20.72	6.31	5.8	5.99	36	26
1999/10/22 03:10:17	23.523	120.453	16.16	5.87	5.5	5.78	42	34
2000/02/15 21:33:18	23.321	120.739	20.16	5.59	5.2	5.41	44	37
2000/05/17 03:25:46	24.208	121.047	2.00	5.59	5.4	5.23	47	29
2000/06/19 21:56:24	23.924	121.077	30.43	5.18	5.2	5.28	34	27
2000/07/14 00:07:32	24.032	121.756	3.72	5.67	5.4	5.38	29	166
2000/07/28 20:28:07	23.412	120.906	2.00	5.99	5.6	5.71	38	19
2000/08/23 00:49:16	23.662	121.554	30.76	5.56	5.3	5.36	25	156
2000/09/10 08:54:46	24.057	121.535	19.7	6.28	5.8	5.74	39	28
2001/03/01 16:37:50	23.845	120.975	14.67	5.70	5.2	5.39	47	51
2001/06/19 05:16:15	23.170	121.049	11.03	5.49	5.3	5.09	28	33
2001/12/22 21:40:27	24.171	122.831	5.00	5.46	5.1	5.20	8	251
2002/04/03 18:06:10	24.329	121.864	19.05	5.34	5.3	5.08	42	165
2002/04/28 13:23:46	24.151	122.859	11.65	5.63	5.2	5.33	18	253
2002/05/15 03:46:06	24.656	121.861	12.08	6.15	6.1	5.81	60	156
2002/05/28 16:45:18	24.017	122.239	17.71	6.18	6.1	5.75	60	200
2002/06/13 20:40:28	24.806	122.091	12.18	5.08	5.2	4.83	20	177
2002/07/11 07:36:24	24.012	122.347	16.32	5.83	5.8	5.46	53	207
2002/07/17 19:14:42	23.354	122.204	21.34	5.19	5.2	4.88	15	206
2002/08/28 17:05:34	22.253	121.376	17.74	6.04	5.5	5.64	45	112
2002/09/01 05:56:23	23.990	122.388	18.75	5.56	5.4	5.21	32	221
2002/09/01 07:07:36	23.986	122.399	20.34	5.60	5.3	5.25	25	221
2002/09/15 01:06:55	23.979	122.498	15.75	5.31	5.1	5.17	28	226
2003/05/15 01:17:42	25.068	122.43	16.56	5.22	5.1	5.05	21	223
2003/06/09 01:52:50	24.413	122.047	34.41	6.20	5.8	5.90	57	187
2003/07/30 18:36:32	23.951	122.499	20.43	5.20	5.2	5.03	16	226
2004/01/01 03:15:18	23.373	121.619	30.66	5.67	5.2	5.55	65	184
2004/02/04 03:23:59	23.419	122.113	27.72	5.95	5.4	5.68	66	202
2004/05/01 07:56:11	24.064	121.514	23.81	5.77	5.2	5.36	62	20
2004/05/08 08:02:46	21.962	121.618	10.72	5.61	5.5	5.36	23	249
2004/05/16 06:04:08	23.096	121.883	20.79	5.67	5.5	5.54	64	194
2004/05/19 07:04:12	22.717	121.357	19.77	6.31	6.2	6.06	66	129
2004/06/02 16:56:29	23.639	121.257	10.12	5.15	4.7	4.89	52	23
2004/07/06 07:32:02	24.924	122.197	4.87	5.25	5.2	5.08	25	193
2004/11/11 02:16:44	24.328	122.200	29.97	6.12	5.6	5.73	64	199

*Station coverage gap in the hypocenter location process.

where A , B , and C are constants to be determined from the regression analysis. S_i is the correction factor for station i . Correction factors of the RRS stations have not been well determined. However, those stations have recorded many earthquakes. Thus, we determined the factors empirically by averaging the residuals between the observed and predicted values.

Our data set included some offshore events. Their locations are more uncertain than those of onshore earthquakes, as are the inferred values of R . We therefore down weight data values associated with events with station coverage gaps (Lee and Lahr, 1975) large than 180° by a factor of 2 in the regression analysis. With a total of 1898 RRS records as the input, the resulting best-fit attenuation relationship for $\log A_0(R)$ is given by

$$\log A_0(R) = 0.247 - 0.000281 \cdot R - 1.509 \cdot \log(R) \pm 0.279 \quad (4)$$

Residuals between the observed and predicted values are approximately normally distributed with zero mean. We found a small linear term, $0.000281R$, in equation (4). Thus, we conducted an F test for this term and found it has an F value 1.002, indicating that this term is not statistically significant and can be dispensed with. The new relationship for $\log A_0(R)$ is given by

$$\log A_0(R) = 0.332 - 1.568 \cdot \log(R) \pm 0.280 \quad (5)$$

Figure 2 shows the 1898 readings of $\log A_0$ after the station corrections were applied and the regression curve. The station correction factors and their standard deviations, also determined in the regression analysis, are listed in the Table 2.

Discussion and Conclusion

Figure 3 shows the $\log A_0$ curve determined in this study and that currently used by the CWB (Shin, 1993). Shin (1993) anchored the $\log A_0$ curve at a hypocentral distance of 100 km, where it was set equal to -3 as in southern California. Our $\log A_0$ curve at the same distance has a value of -2.80 . Thus, the M_L determined in this study should be approximately 0.20 units lower than the current CWB M_L (M_{L_CWB}). Similarly, if M_L remains anchored by setting the $\log A_0$ curve to -3 at a distance of 100 km, then the differences between M_L and M_w will average 0.20 units in the Taiwan region, consistent with our previous study (Wu *et al.*, 2001).

Figure 4a compares M_{L_CWB} with M_w for the 56 events used in this study. M_{L_CWB} is generally larger than M_w . The differences between M_{L_CWB} and M_w for the 56 events are distributed in a large range from -0.45 to 0.82 , with an average of 0.20 and a standard deviation of 0.26 . The 0.20 unit difference is from the $\log A_0$ curve to -3 at a distance of 100 km. It is clear from Figure 4a that M_{L_CWB} does not

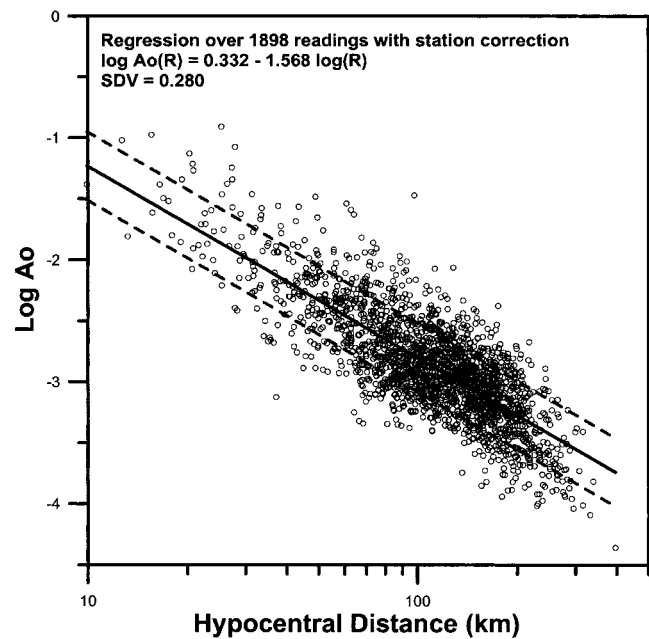


Figure 2. Relationship between $\log A_0$ and hypocentral distance for all 56 events. The $\log A_0$ values have had station corrections applied, which were determined simultaneously with the least-squares best-fit relation shown by the solid line. One standard deviation is shown by the dashed lines.

correlate well with M_w . However, the M_L determined in this study (M_{L_new}) is well correlated with M_w . M_{L_new} was determined by using the new $\log A_0$ curve and by applying station corrections (Table 2). Figure 4b shows M_{L_new} versus M_w . M_{L_new} exhibits an almost 1:1 correlation with M_w . The differences between M_{L_new} and M_w are distributed in a small range from -0.37 to 0.35 , with an average of -0.02 and a standard deviation 0.19 . This improved correlation between M_{L_new} and M_w is due to both the new definition of $\log A_0$ and the use of stations corrections. The effect of anchoring $\log A_0$ at -2.8 rather than -3.0 is a downward shift in all magnitude estimates, while the application of station corrections reduces the variance in magnitude estimates from individual station records. The standard deviation of 0.19 between M_{L_new} and M_w is due to the differences between these two scales but also includes uncertainty in hypocentral distance, which affects the $\log A_0$ analysis and causes some error in M_w estimation.

The use of station corrections is a major difference in the calculation of M_{L_new} and M_{L_CWB} , as they are not currently applied by the CWB in their magnitude determination. We find the station correction factors to be large, from -0.40 to 0.52 magnitude units, with an average of 0.01 and a standard deviation 0.23 (Table 2). Table 2 also shows the standard deviations of station correction factors for each station.

It is difficult to justify the statistical significance of the station correction terms (using an F -test for example) given

Table 2
Parameters of 79 Stations Used in This Study

Station Code	Lat. (N)	Long. (E)	Elevation (m)	Readings	Station Correction	S.D. of Station Correction
TAP	25.039	121.522	5.5	43	-0.311	0.236
HSN	24.802	120.969	—	32	-0.261	0.211
TCU	24.147	120.676	-66.0	32	-0.029	0.216
CHY	23.498	120.424	-173.0	42	-0.305	0.269
ALS	23.510	120.805	2413.4	36	-0.064	0.278
PNG	23.567	119.555	10.8	25	-0.041	0.284
KAU	22.568	120.308	-183.0	28	-0.256	0.212
HEN	22.006	120.738	-128.0	17	-0.251	0.244
ILA	24.765	121.748	7.2	45	-0.257	0.316
HWA	23.977	121.605	-119.0	52	-0.167	0.348
CHK	23.099	121.365	33.5	44	0.116	0.339
TTN	22.754	121.146	9.0	18	-0.070	0.281
TAW	22.358	120.896	8.1	11	0.380	0.279
LAY	22.039	121.551	324.0	19	0.043	0.271
NCU	24.970	121.187	133.5	31	-0.239	0.237
SML	23.883	120.900	1014.8	34	-0.190	0.267
NST	24.631	121.001	164.3	34	-0.008	0.257
WSF	23.638	120.222	5.9	29	-0.304	0.277
WTC	23.864	120.281	4.2	16	-0.284	0.235
SCL	23.175	120.194	7.4	27	-0.314	0.343
SGS	23.082	120.583	277.5	14	0.140	0.200
SGL	22.725	120.491	29.9	25	-0.240	0.244
ENA	24.428	121.741	113.0	38	0.040	0.285
ESL	23.814	121.433	177.8	32	0.330	0.376
ENT	24.639	121.565	279.9	31	0.091	0.331
NSY	24.416	120.761	311.0	37	-0.105	0.259
EHY	23.506	121.322	237.2	24	0.516	0.274
WNT	23.878	120.684	109.8	38	0.003	0.302
WGK	23.686	120.562	75.2	40	-0.239	0.232
WTP	23.246	120.614	560.3	14	0.110	0.262
STY	23.163	120.757	639.7	21	0.196	0.242
NSK	24.676	121.358	682.3	29	0.158	0.337
SSD	22.746	120.632	148.3	19	0.206	0.209
WHF	24.145	121.265	3394.7	19	-0.034	0.290
EHC	24.267	121.732	10.9	8	0.311	0.149
SCZ	22.372	120.620	73.6	10	0.292	0.201
ANP	25.187	121.520	825.7	25	0.069	0.262
TAH	23.040	120.228	-190.0	29	-0.279	0.223
CHN1	23.185	120.528	360.0	22	0.165	0.246
CHN3	23.076	120.365	50.0	16	-0.183	0.265
CHN4	23.351	120.593	205.0	30	-0.185	0.258
CHN5	23.597	120.678	840.0	18	-0.211	0.289
TWA	24.980	121.580	260.0	20	-0.013	0.238
TWB1	25.008	121.988	130.0	12	0.252	0.286
TWC	24.609	121.849	20.0	34	0.212	0.316
TWD	24.080	121.595	30.0	34	0.500	0.354
TWE	24.721	121.667	20.0	31	0.000	0.300
TWF1	23.352	121.297	260.0	27	0.490	0.319
TWG	22.821	121.072	195.0	14	0.246	0.450
TWK1	21.943	120.805	90.0	8	0.142	0.234
TWL	23.267	120.488	590.0	32	0.082	0.216
TWM1	22.823	120.423	340.0	16	-0.081	0.203
TWQ1	24.348	120.773	260.0	35	-0.046	0.217
TWS1	25.101	121.418	60.0	34	-0.066	0.230
TWT	24.251	121.153	1500.0	20	0.137	0.362
TYC	23.904	120.856	20.0	20	0.330	0.170
WLC	22.348	120.362	38.0	10	0.085	0.283
NWF	25.071	121.781	765.3	32	-0.317	0.322
NNS	24.440	121.373	1140.0	34	-0.150	0.276
ELD	23.189	121.017	1040.0	21	0.378	0.291
ECL	22.597	120.954	70.0	12	0.320	0.247

(continued)

Table 2
Continued

Station Code	Lat. (N)	Long. (E)	Elevation (m)	Readings	Station Correction	S.D. of Station Correction
NOU	25.151	121.766	10.0	13	0.225	0.199
WCH	24.086	120.549	—	24	-0.271	0.216
NML	24.568	120.817	—	17	-0.084	0.224
SPT	22.678	120.488	—	9	-0.109	0.341
TAI2	22.987	120.201	—	14	-0.153	0.262
WDL	23.718	120.532	—	17	-0.334	0.159
EGC	23.709	121.540	—	16	0.115	0.390
ETL	24.160	121.610	—	29	0.223	0.343
EGA	23.973	121.563	—	17	0.090	0.358
ESF	23.871	121.508	—	23	0.030	0.302
EYL	23.867	121.598	—	15	0.488	0.345
WYL	23.962	120.57	—	20	-0.400	0.194
NSD	24.541	120.914	—	16	0.073	0.251
WPL	24.014	120.949	—	13	0.300	0.220
KLUP	25.133	121.728	—	15	0.007	0.270
TWCP	24.599	121.85	—	17	-0.366	0.309
HWAP	23.998	121.627	—	12	0.046	0.236
EHP	24.309	121.741	—	17	-0.170	0.286

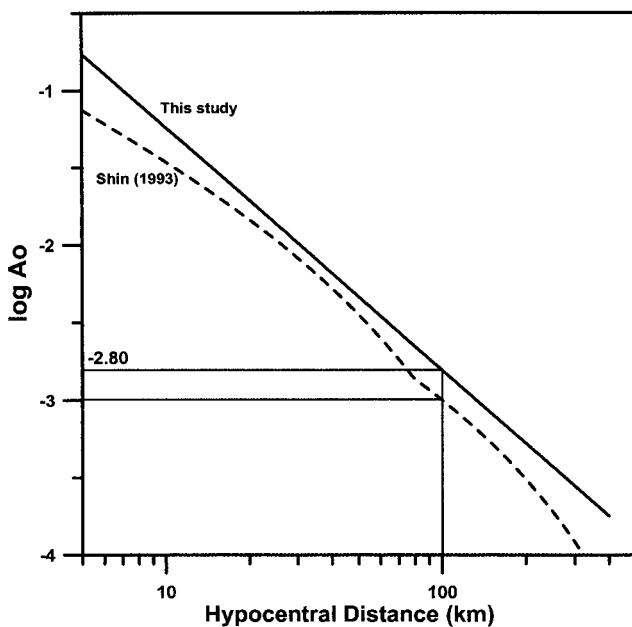


Figure 3. Plot of $\log A_0$ versus hypocentral distance showing the amplitude of ground shaking for the zero magnitude reference earthquake. The $\log A_0$ curve determined in this study (solid line) is higher than that currently used by the Central Weather Bureau, Taiwan (dashed line) (Shin, 1993).

their standard deviations. However, there is a strong correlation between the station corrections and geology, which argues for their use. Figure 5 shows station correction factors on a map showing the geological context. The western coastal plain, Taipei basin, and Pingtung and Lanyang plains

are places of high amplification with negative station correction factors, whereas the central mountain range and the more mountainous areas of eastern Taiwan are places of low amplification with positive station correction factors. The correction factors correlate reasonably well with the surface geology as determined from published maps.

Application of these correction factors in the determination of M_{L_new} reduces the standard deviation between the local and moment magnitudes determined for the events from ± 0.26 for M_{L_CWB} to ± 0.19 magnitude units for M_{L_new} . These corrections are particularly important for smaller earthquakes, which are only recorded at stations close to the epicenter. In this case all the stations may be on either hard rock or soft soil sites, which could lead to under- or overestimates in the magnitude of up to half a magnitude unit.

Consistency in magnitude estimates determined by different seismic networks is important for study and comparison of seismicity and tectonic processes between global regions. Application of M_{L_new} in Taiwan will allow for improved seismotectonic studies in the region and more robust magnitude estimates for use in seismic hazard mitigation.

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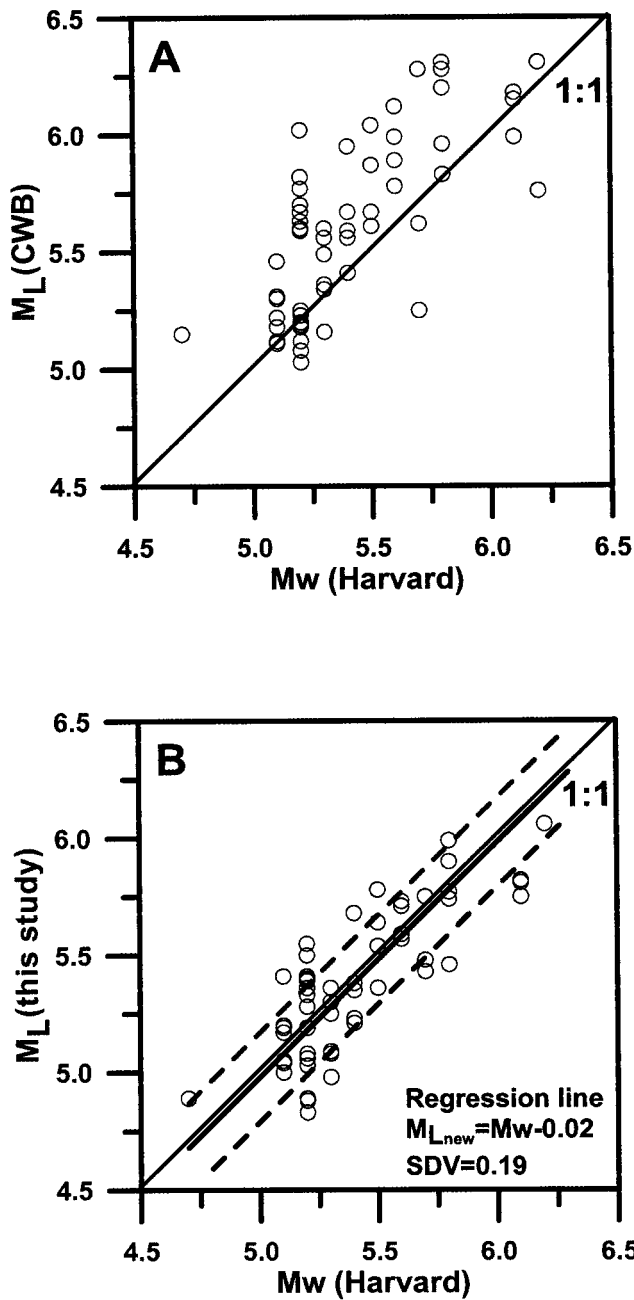


Figure 4. Comparison of $M_{L_{\text{new}}}$, $M_{L_{\text{CWB}}}$, and M_w for the 56 events used in this study. (A) $M_{L_{\text{CWB}}}$ versus M_w showing the relatively high values of $M_{L_{\text{CWB}}}$ when compared to M_w . Note also the wide variance in $M_{L_{\text{CWB}}}$ estimates. (B) $M_{L_{\text{new}}}$ versus M_w . The average offset between the two is low, 0.02 magnitude units, and the standard deviation is smaller than that in (A) at 0.19.

Station correction factor for Magnitude determination

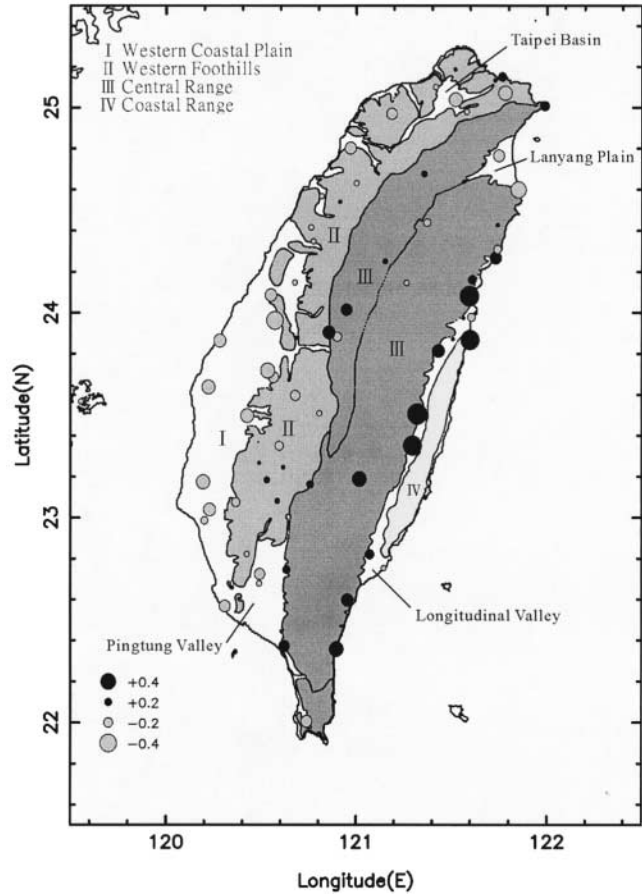


Figure 5. Map of station correction factors and major geological units. Large negative corrections are found at sedimentary sites, while positive corrections are necessary at rock sites.

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